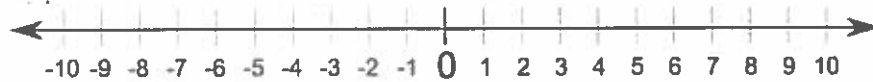


Integers

→ **Les Integers** : sont comme tous les nombres, mais ils incluent des nombres négatifs ... mais aucune fractions sont autorisées!



So, integers can be negative $\{-1, -2, -3, -4, -5, \dots\}$, positive $\{1, 2, 3, 4, 5, \dots\}$, or zero $\{0\}$

We can put that all together like this:

$$\text{Integers} = \{ \dots, -5, -4, -3, -2, -1, 0, 1, 2, 3, 4, 5, \dots \}$$

Examples: $-16, -3, 0, 1$ and 198 are all integers.

(But numbers like $\frac{1}{2}, 1.1$ and 3.5 are **not** integers)

Comment à Ajouter Les Integers Positives

Example: $2 + 3 = 5$

is really saying

"Positive 2 plus Positive 3 equals Positive 5"

We could write it as $(+2) + (+3) = (+5)$

Comment à Soustraire les Integers Positives

Example: $2 + 3 = 5$

is really saying

"Positive 2 plus Positive 3 equals Positive 5"

We could write it as $(+2) + (+3) = (+5)$

Comment à Ajouter les Integers Negatives

Example: $6 + (-3) = 3$

is really saying

"Positive 6 plus Negative 3 equals Positive 3"

We could write it as $(+6) + (-3) = (+3)$

Comment à Soustraire les Integers Negatives



Example: What is $6 - (-3)$?

$$6 - (-3) = 6 + 3 = 9$$

Les Trucs pour rappeler

The Rules:

It can all be put into **two rules**:

	Rule		Example
$+(+)$ $-(-)$	Two like signs become a positive sign		$3+(+2) = 3 + 2 = 5$ $6-(-3) = 6 + 3 = 9$
$+(-)$ $-(+)$	Two unlike signs become a negative sign		$7+(-2) = 7 - 2 = 5$ $8-(+2) = 8 - 2 = 6$

They are "like signs" when they are like each other (in other words: the same).
